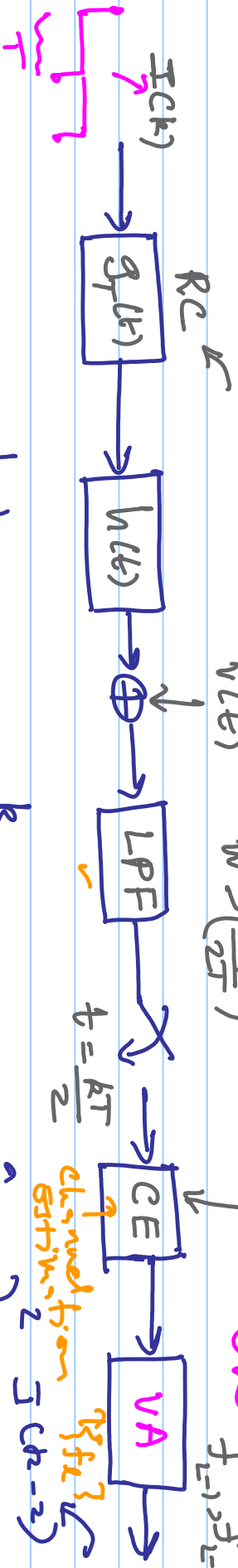


Viterbi Algorithm @ Nyquist Rate



memory is $L-1$

$f(k) \rightarrow \{f_0, f_1, f_2, \dots\}$
 f_{-1}, f_0, f_1, \dots

$$\{I_a^{k-1}\} C M_a^{k-1}$$

$$\xrightarrow{v(k)} \xrightarrow{(\tau M_a + \tau M'_a)}$$

$$\xrightarrow{(\sigma C(k) - \tau_a C(k))} \xrightarrow{\tau M_a + \tau M'_a} \sum_{l=0}^{L-1} I_C(k-l) \cdot f'_l$$

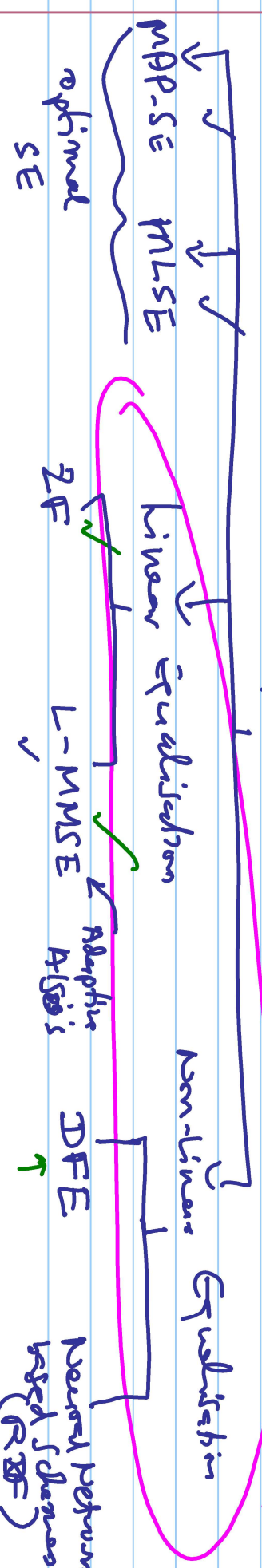
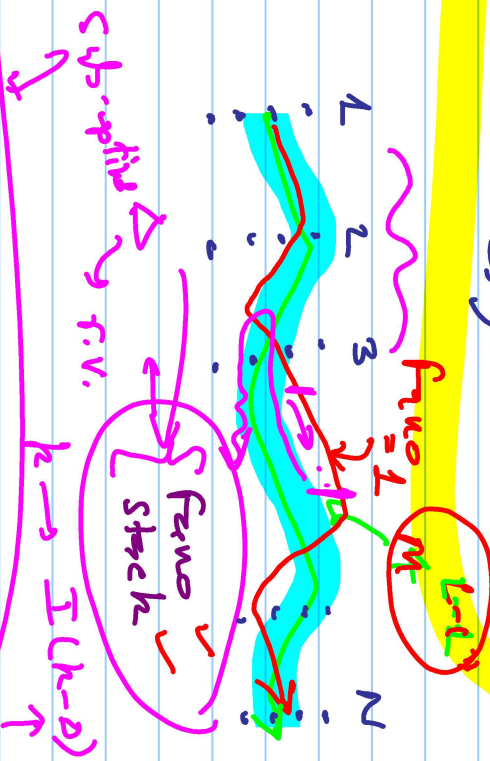
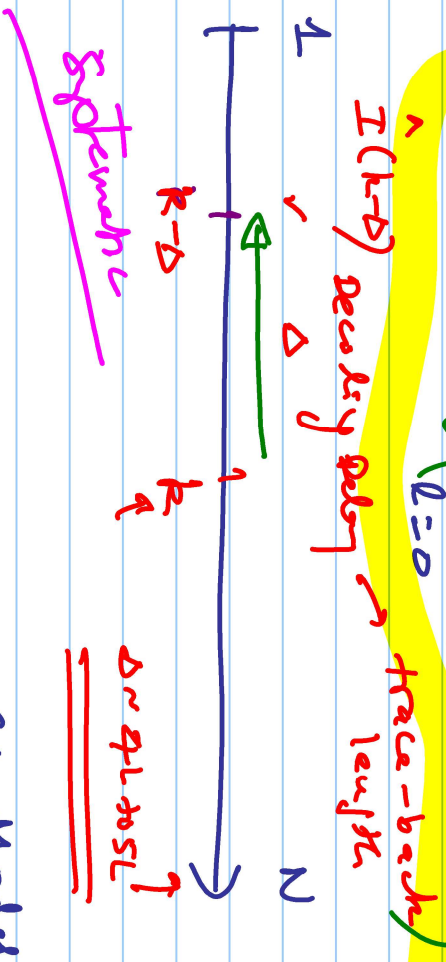
$$\{I_b^{k-1}\} C M_b^{k-1}$$

$$\xrightarrow{v(k)} \xrightarrow{(\tau M_b + \tau M'_b)}$$

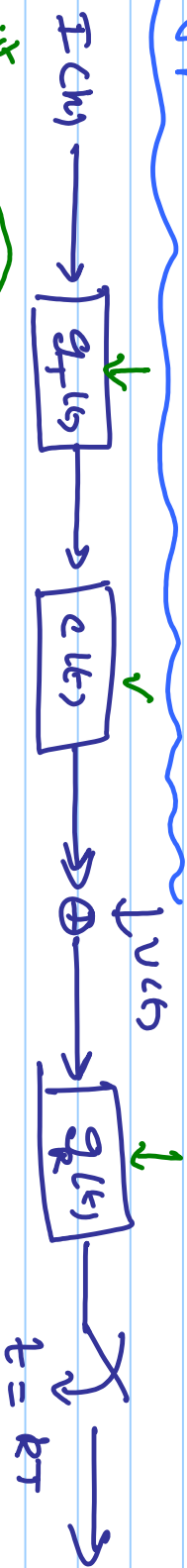
$$\xrightarrow{\tau M'_a} \sigma C(k) = \sum_{l=0}^{L-1} I_C(k-l) \cdot f'_l$$

$\{I_b^{k-1}\} C M_b^{k-1} \xrightarrow{v(k)} \{I_a^{k-1}\} C M_a^{k-1}$

$$h \rightarrow h^T \quad \tau(k) = \hat{g} \left(\sum_{l=0}^{L-1} f_a I(k-l) \right) + v(k) \quad v(k) \sim \mathcal{N}(0, \sigma_v^2)$$



Nyquist Criterion for Zero ISI



polyphase \leftarrow $x(t) = \sum g_T(t) * c(t) * g_R(t)$

Choose $g_T(t)$ and $g_R(t)$ such that

$$x_c(kT) = \begin{cases} 1, & k=0 \\ 0, & k \neq 0 \end{cases} \rightarrow \textcircled{1} \quad \left\{ \begin{array}{l} x(t) \equiv x_c(t) \\ x_c(t) \equiv \sum_{n=-\infty}^{\infty} x_c(t - nT) \end{array} \right.$$

Theorem: The necessary and sufficient condition for $x_c(t)$ to

satisfy $\textcircled{1}$ is that $x_c(t) \iff X_c(f)$

$$\rightarrow \sum_{n=-\infty}^{\infty} X_c(f + \frac{n}{T}) = T \quad \leftarrow \begin{array}{l} \text{Folded spectrum} \\ \text{must be flat} \\ \text{(sampled spectrum)} \end{array}$$

Odd- $\frac{1}{2}$ symmetry
at $\frac{1}{2T}$

